

# Phase-space analysis of the Schwinger effect in inhomogeneous electromagnetic fields

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We have studied Schwinger pair production in spatially and temporally inhomogeneous high-intensity few-cycle pulses [1, 2]

$$\mathbf{E}(t, z) = -\partial_t \mathbf{A}(t, z) = \frac{\varepsilon}{\omega} \exp\left(-\frac{z^2}{\lambda^2} - \frac{t^2}{\tau^2}\right) \times \frac{\left(2t \sin(\omega t + \phi) - \omega \tau^2 \cos(\omega t + \phi)\right)}{\tau^2} \mathbf{e}_x, \quad (1)$$

$$\mathbf{B}(t, z) = \nabla \times \mathbf{A}(t, z) = -\frac{\varepsilon}{\omega} \exp\left(-\frac{z^2}{\lambda^2} - \frac{t^2}{\tau^2}\right) \frac{2z \sin(\omega t + \phi)}{\lambda^2} \mathbf{e}_y, \quad (2)$$

where  $\varepsilon$  determines the electric field strength in units of  $m^2/e$ ,  $\tau$  sets the temporal scale and  $\lambda$  specifies the spatial scale. The parameters  $\omega$  and  $\phi$  control the pulse structure.

Employing advanced numerical methods, we have been able to produce accurate numerical solutions of a quantum kinetic theory. We have computed particle (electrons and positrons) momentum spectra, see Fig. 1, as well as spatial-momentum distribution functions in order to thoroughly investigate how spatial and temporal variations in the electric and magnetic fields affect the particle distribution  $n(z, p_x, p_z)$ . Moreover, we have introduced a semi-classical model on the basis of an effective theory for the particle production rate taking into account instantaneous pair production and relativistic single-particle dynamics.

We have found remarkable signatures of quantum interferences and spin-field interactions. Additionally, we observed the formation of characteristic patterns strongly depending on the carrier-envelope phase of the background fields.

## References

- [1] C. Kohlfürst and R. Alkofer, Phys. Lett. B **756** (2016) 371
- [2] C. Kohlfürst, arXiv:1708.08920 [quant-ph]

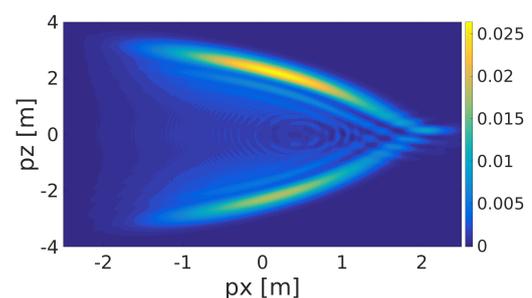


Figure 1: *Density plot of the particle distribution function  $n(p_x, p_z)$  (quantum kinetic calculation) in momentum space.*